

Perceptual Scheduling in Real-time Music and Audio Applications

PhD Dissertation

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Online Audio Examples

<http://www.ptank.com/phdtalk/sounds.html>

Supplemental audio material
for online PDF and PowerPoint Slides
(Arranged by slide #)

Collaboration with CNMAT

- Center for New Music and Audio Technologies
- Interdisciplinary
 - Music
 - EECS
 - Psychology
- Both research and artistic activities

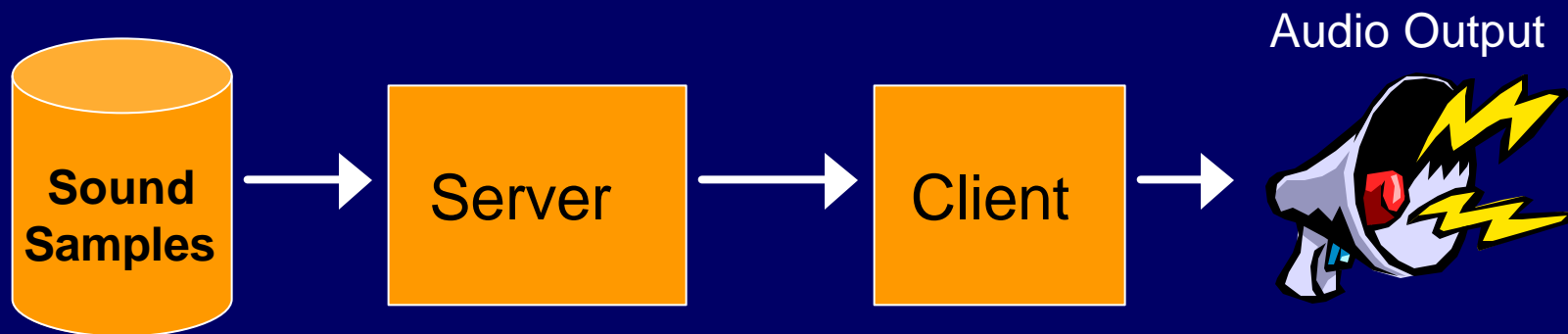


Outline

- Overview of sound synthesis
 - Synthesis Servers
 - Additive synthesis and resonance modeling
- Computational Issues and Problems
- Perceptual Scheduling
- Computational Reduction Strategies
- Evaluation on Musical Examples
- Conclusions & Future Work

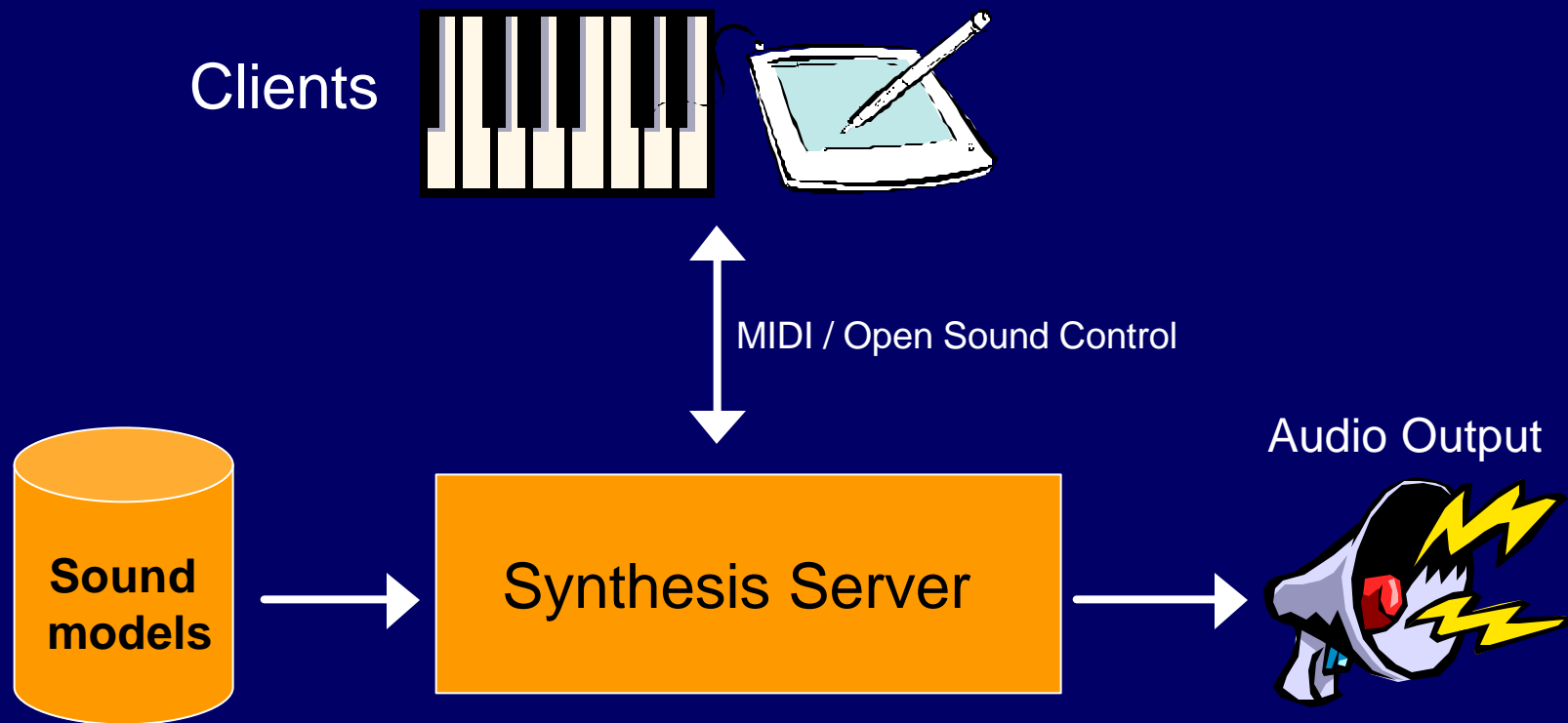
Playing Music on Computers

- Streaming Audio Servers
 - Internet Radio
 - Napster
 - Playing audio CDs on your computer



- All the system you need...if all you play is the stereo!

Synthesis Servers



Independent of hardware, OS and transport

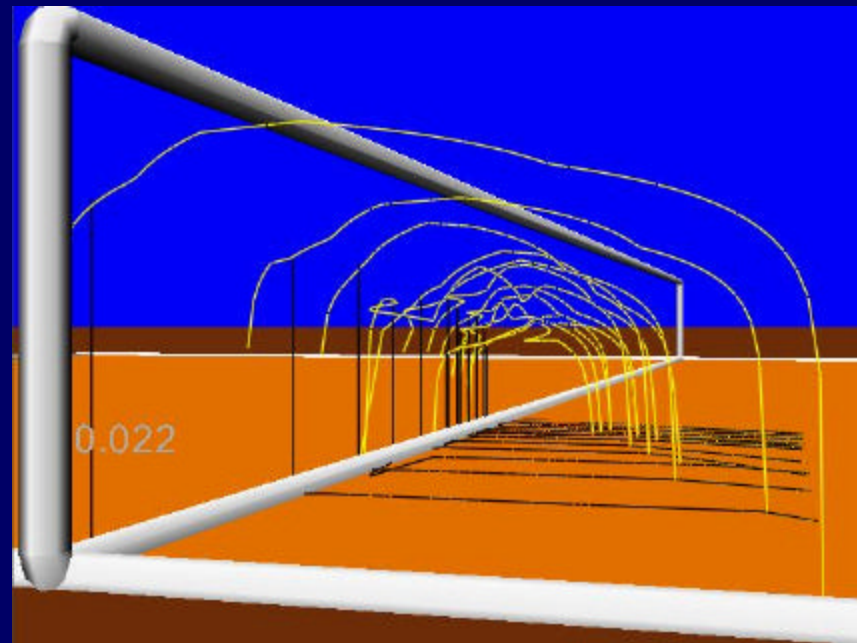
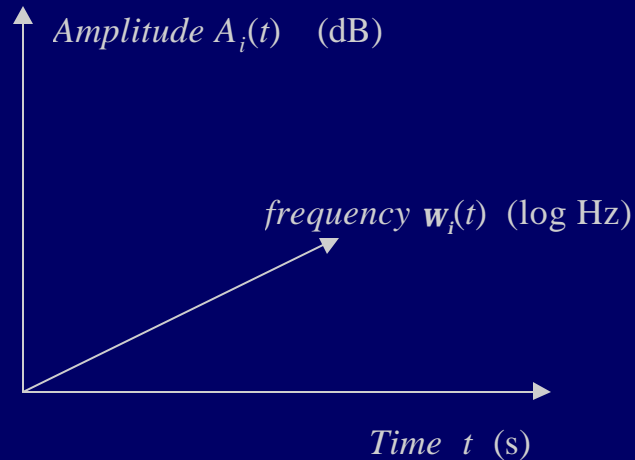
What is a “Sound Model?”

- Waveform representation of sound:
 - a sequence of samples $y(n)$
- *Synthesize* sound from parametric models
 - Example: a pure tone (i.e., “sine wave”)
$$y(n) = A(n) \sin (f(n) + \phi(n))$$
- Advantages of a sound model
 - Mutability (i.e., any pitch or amplitude)
 - Compression
- Example: A sine wave synthesis server

Sinusoidal Models

- Sum of time-varying sinusoids:

$$x(t) = \sum_{i=1}^N A_i(t) \cos(w_i(t)t + f_i(t))$$



Phase is *not* shown

Sinusoidal Models

- Sum of time-varying sinusoids:

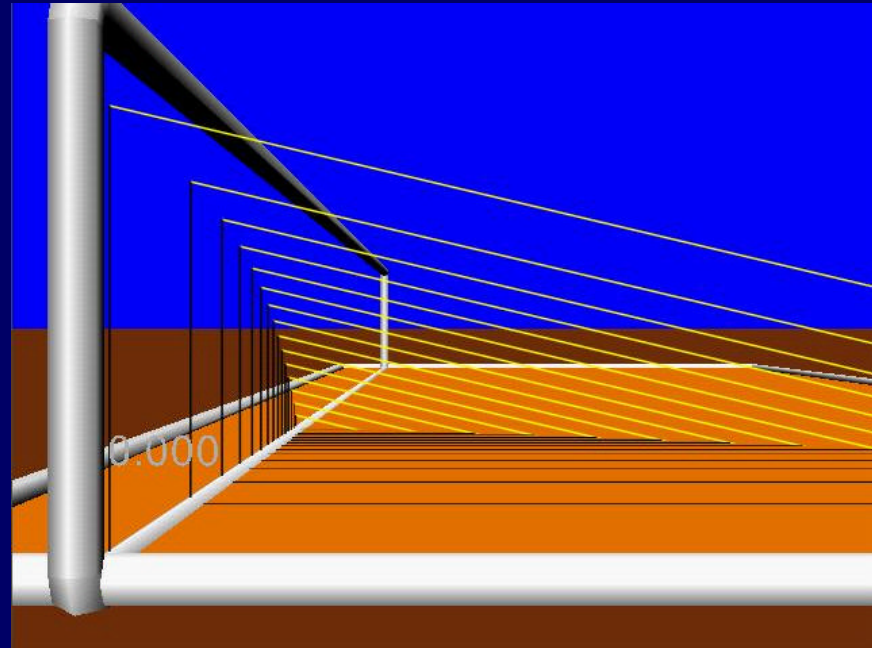
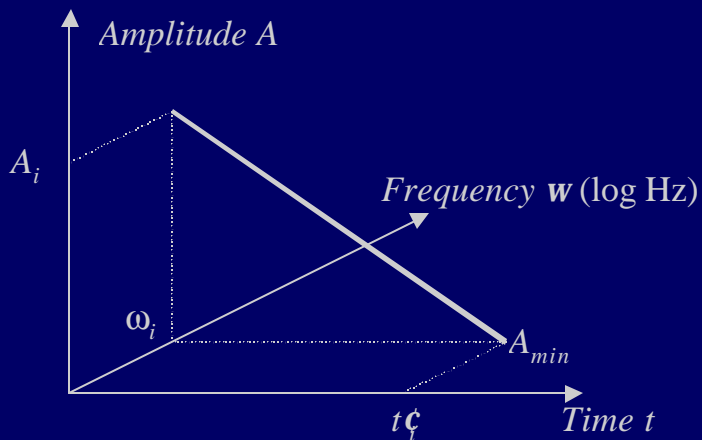
$$x(t) = \sum_{i=1}^N A_i(t) \cos(w_i(t)t + f_i(t))$$

- Advantages:
 - Independent control of time and frequency
 - Control of timbre
- Disadvantages:
 - Large and expensive to compute

Resonance Models

- Exponentially-decaying sinusoids:

$$x(t) = \sum_{i=1}^N A_i e^{-p_{k_i} t} \cos(\omega_i t + f_i)$$



Parameters are *not* time-varying

Resonance Models

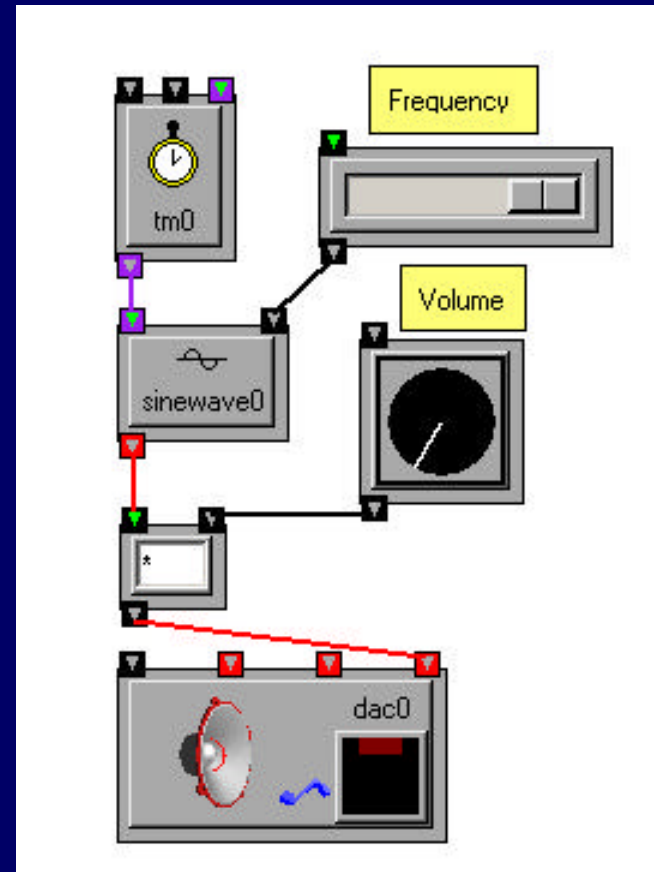
- Exponentially-decaying sinusoids:

$$x(t) = \sum_{i=1}^N A_i e^{-p_i t} \cos(\omega_i t + \phi_i)$$

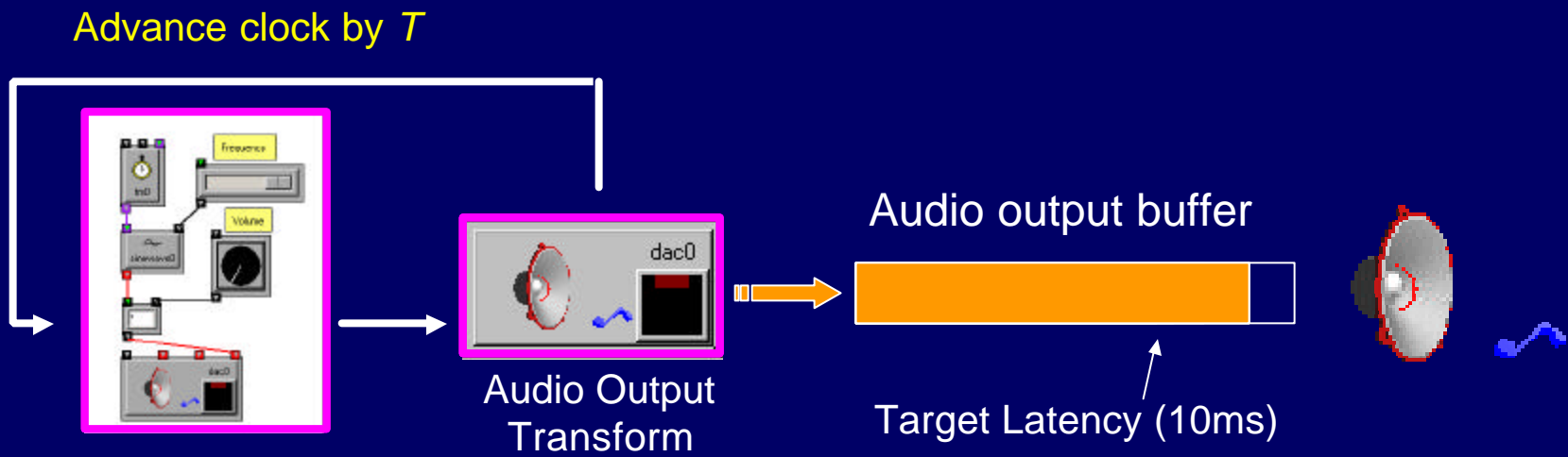
- Advantages:
 - Independent control of time and frequency
 - Perceptually meaningful control of timbre
 - Small (a few hundred numbers for entire sound)
- Disadvantages:
 - Expensive to compute

Open Sound World

- Language for synthesis servers
- Visual dataflow language
- Incremental development
- *Transforms* are connected to form *patches*
- Modern type system
- Nested patches
- Hierarchical name space
- Extensible set of transforms and data types
- Profiling Features

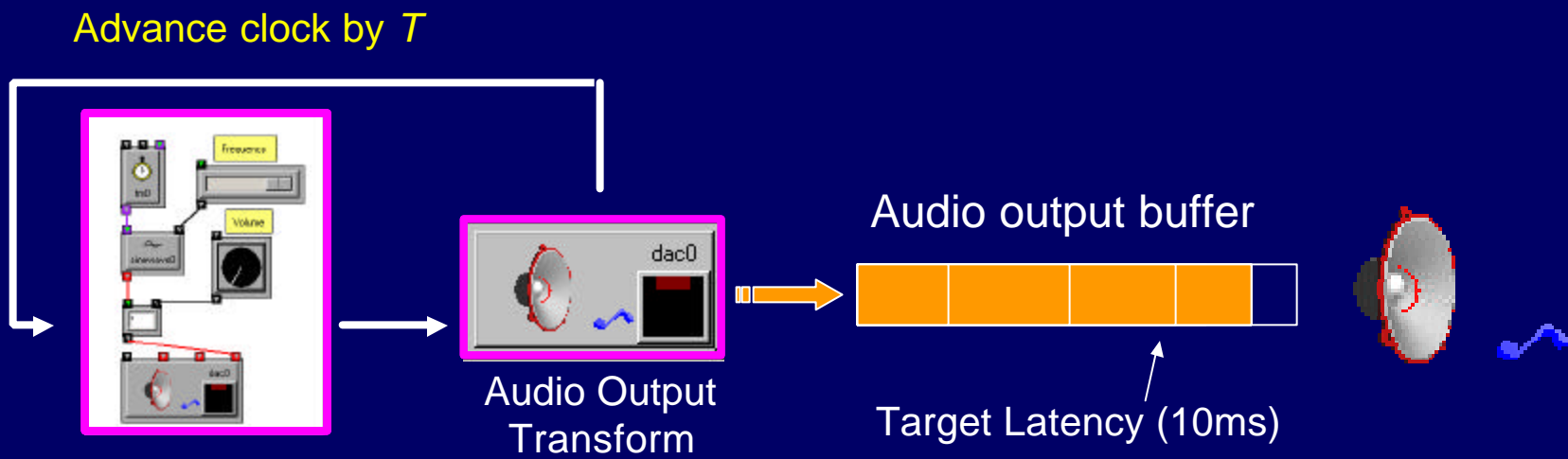


Synthesis Server Execution



- Maintain *quality of service* (QoS): audio continuity, bounded latency & jitter (10 ± 1 ms)
- Audio output every period T (For simplicity, $T = 1 / \text{sampling rate}$)
- Output samples
- Advance clock by T
- Execute patch
- Wait for output buffer to reach target latency, and repeat process

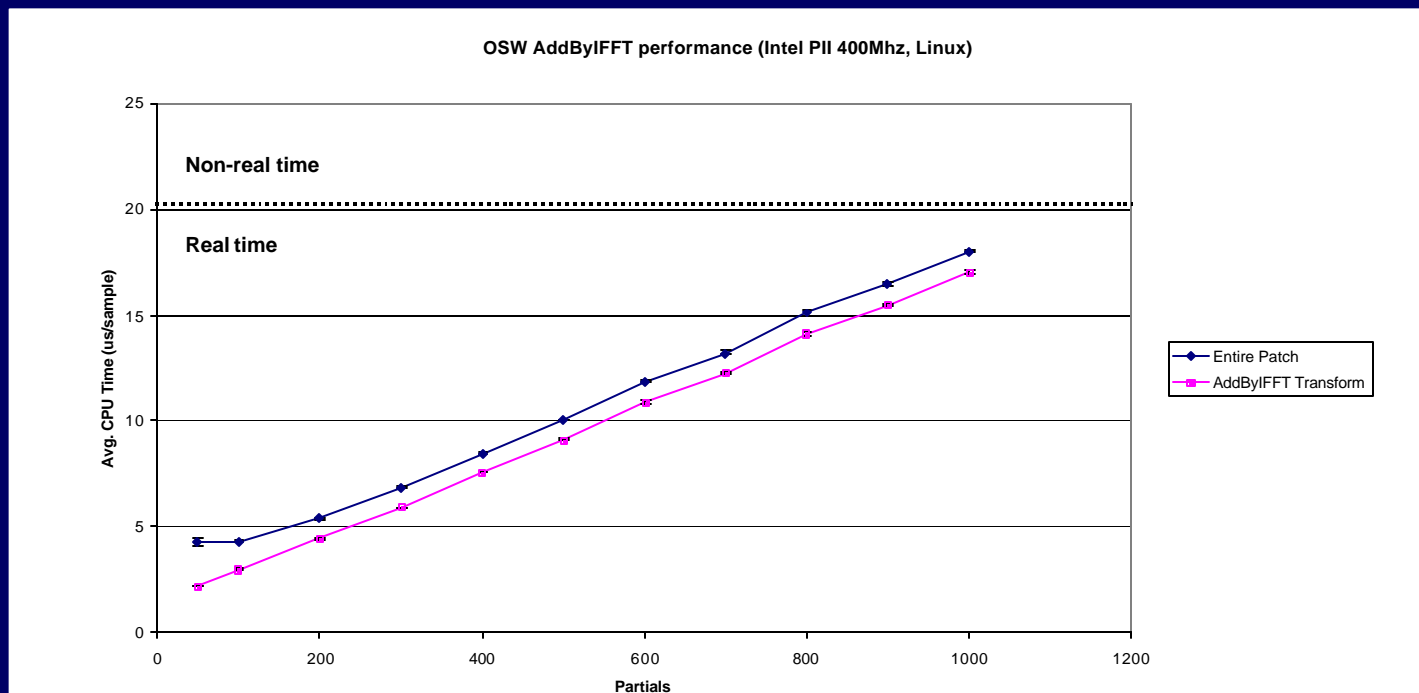
Missed QoS Guarantees



- The per-sample execution time of the patch must be less than T (20 μ s/sample at 44.1kHz)
- If execution time is greater, the buffer will underflow (audible clicks)
- Increasing buffer size to avoid underflow increases latency

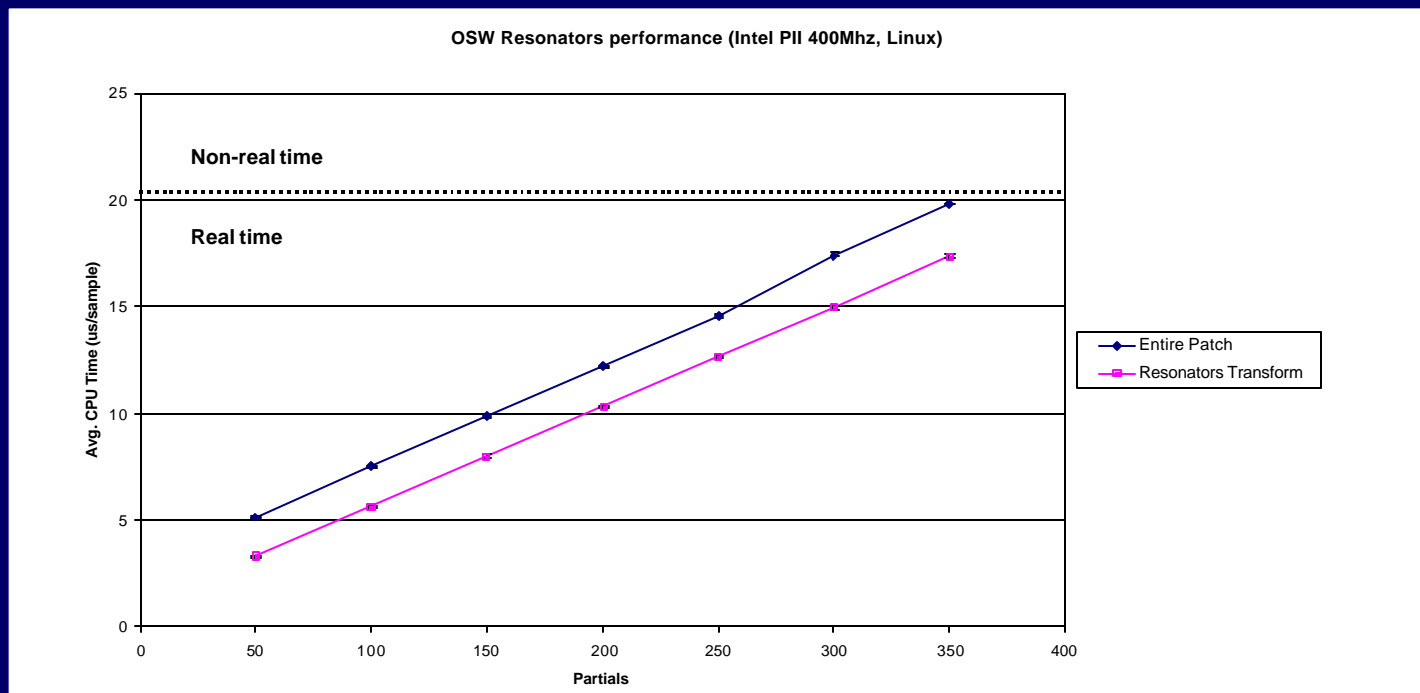
What can we do in $20\mu\text{s}$?

- Measured performance of sinusoidal-modeling algorithm



What can we do in $20\mu\text{s}$?

- Measured performance of resonance-modeling algorithm

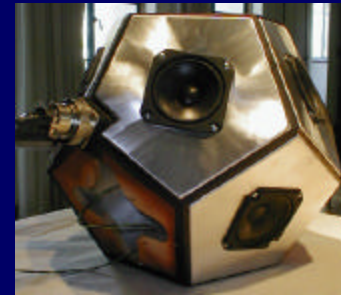


Is this enough?

- Adequate for most individual models
- Multiple models
 - Polyphony
 - Multiple audio channels
 - Directional acoustics
- 96kHz Audio
 - Under 10 μ s per sample

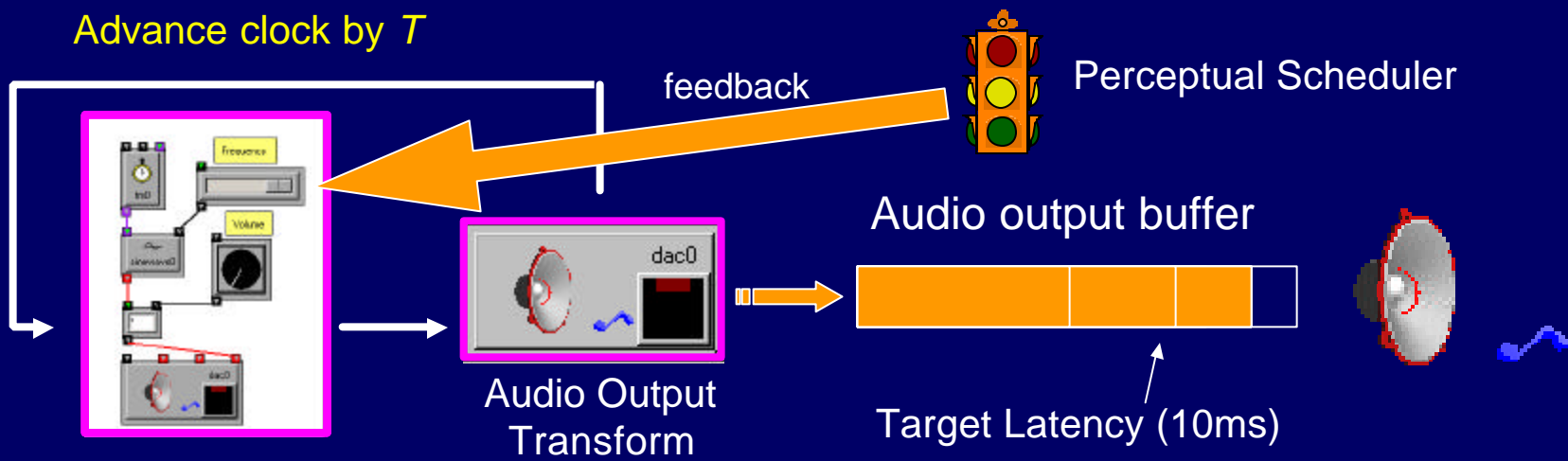


80 sinusoids



$12 \times 80 = 960$ sinusoids
+ 8x channel overhead

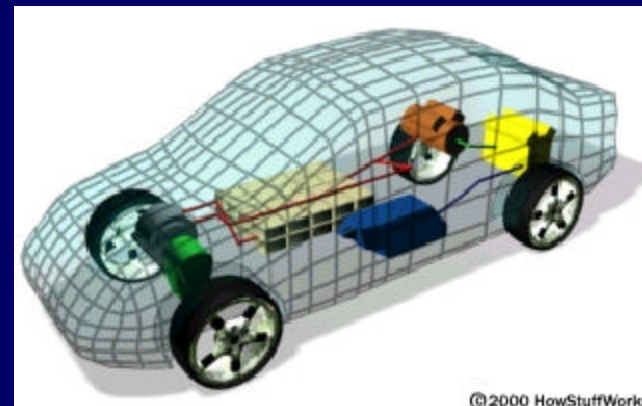
Perceptual Scheduling



- Detect potential QoS failures
- Provide feedback to transforms
- ***Transforms voluntarily reduce computation using measures of perceptual salience***

Analogy: Hybrid Cars

- Maintain QoS
 - Velocity
- Limited bandwidth
 - Smaller engine
 - Less power
- Dynamic adaptation
 - Electric motor assist
 - Regenerative breaking
 - Electric only at slow speed



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<http://www.howstuffworks.com/hybrid-car.htm>

Perceptual Scheduling Details

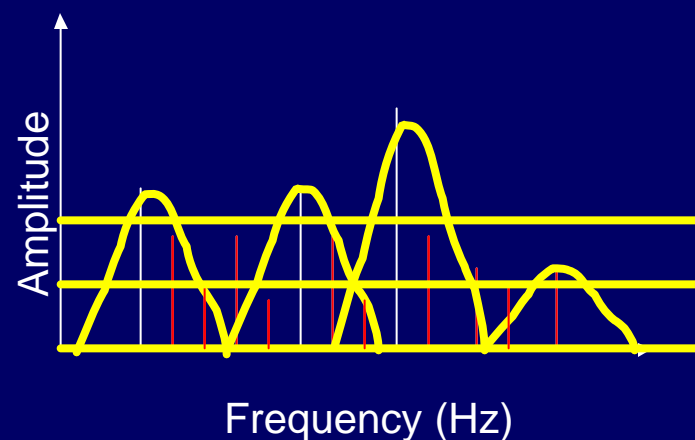
Given execution time E , target execution time E_{max} and reducible transform set R :

1. For each transform $r \in R$, calculate $c(r)$, the time saved by reducing r using an appropriate measure of perceptual salience
2. Find $R' \subseteq R$ such that $E - \sum_{r \in R'} c(r) \leq E_{max}$
3. Reduce computation of each transform in R'

A *reducible transform* requires a reduction strategy and measure of perceptual salience

Reduction Strategies

- Reduce the number of sinusoids in a model
- Graceful degradation by removing weakest sinusoids
- Amplitude threshold
- Masking
- Strategies also used for Resonance Models



Listening Experiments (I)

- Measure effectiveness of reduction strategies
 - Perceived quality (1 thru 5) vs. model size.
- Summer and Fall, 2000
- Three sinusoidal models
 - Suling flute, berimbau, James Brown
- Three resonance models
 - Marimba, string bass, tam-tam
- Compare reduced and original versions

Suling Sinusoidal Model

150

75

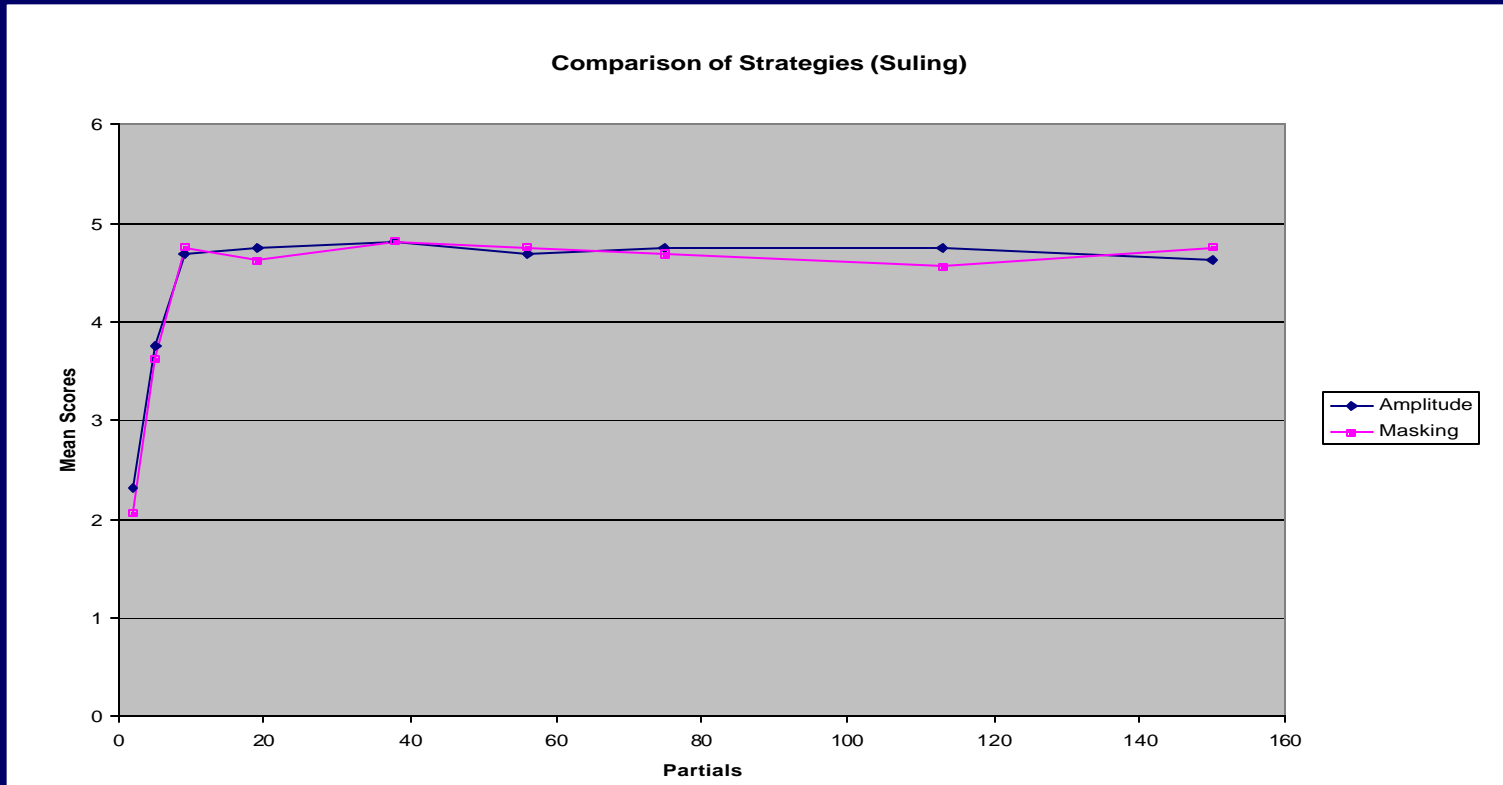
38

19

9

3

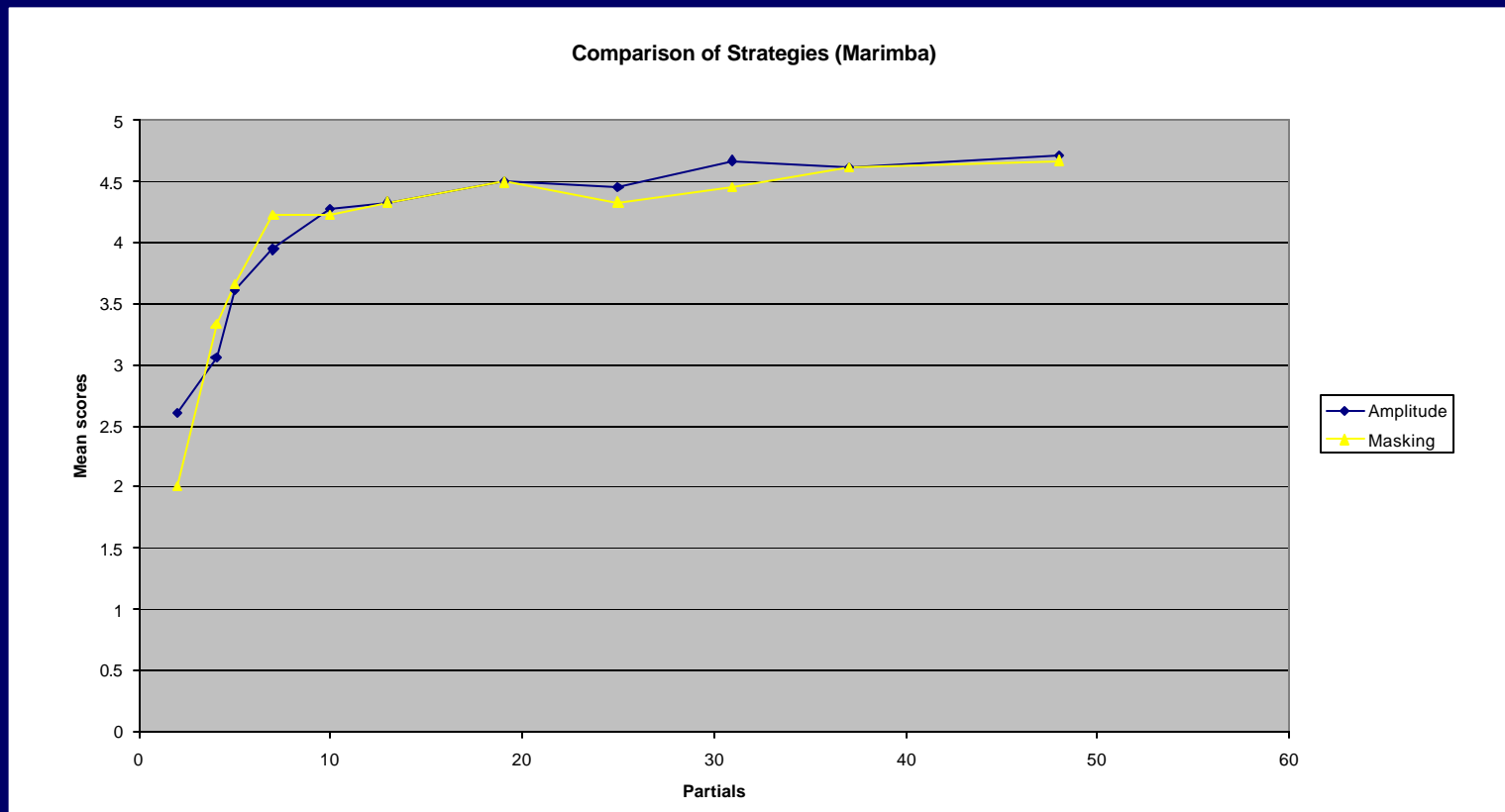
Listener Score



Marimba Resonance Model

48 25 13 7 5 2

Listener Score



Discussion

- Quality can be preserved in reduced models
- Little difference between amplitude and masking strategies
 - Few partials are masked
 - Remaining masked partials have low amplitude
 - Amplitude strategy is less computationally expensive!
- Prune partials by amplitude
 - In many models (e.g., suling, marimba), a few partials contribute most of the energy
 - Keep enough partials to maintain 75% of the original energy
 - For resonance models, integrate amplitude over time

Listening Experiments (II)

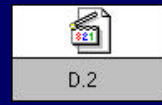
- Measure effectiveness of reduction strategies within perceptual scheduling framework
 - Perceived quality (1 thru 5) vs. average CPU time.
- Larger musical examples
- February-March, 2001

Results: Constellation (Glockenspiel and Vibes)

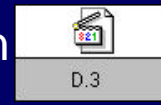
Original



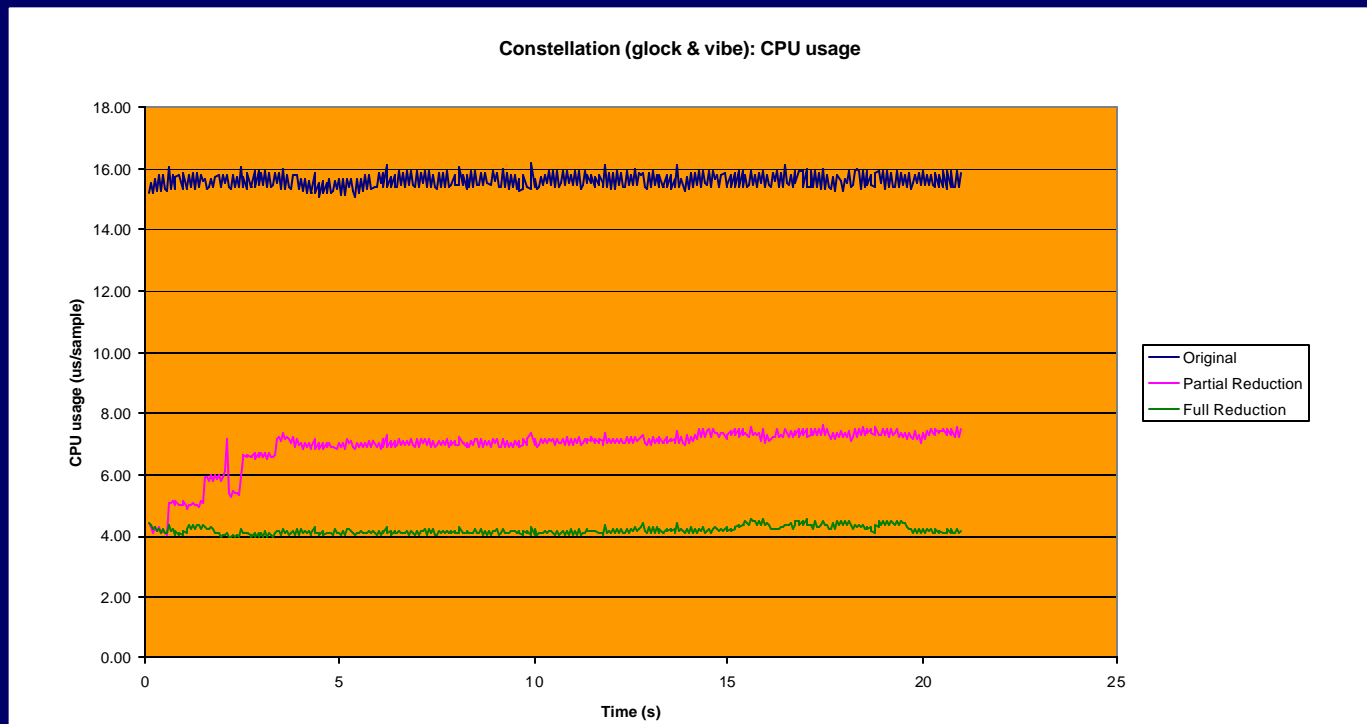
Reduction



Reduction



Mean CPU Time ($\mu\text{s}/\text{sample}$)



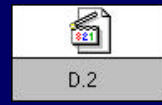
Time (s)

Results: Constellation (Glockenspiel and Vibes)

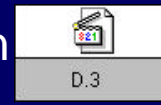
Original



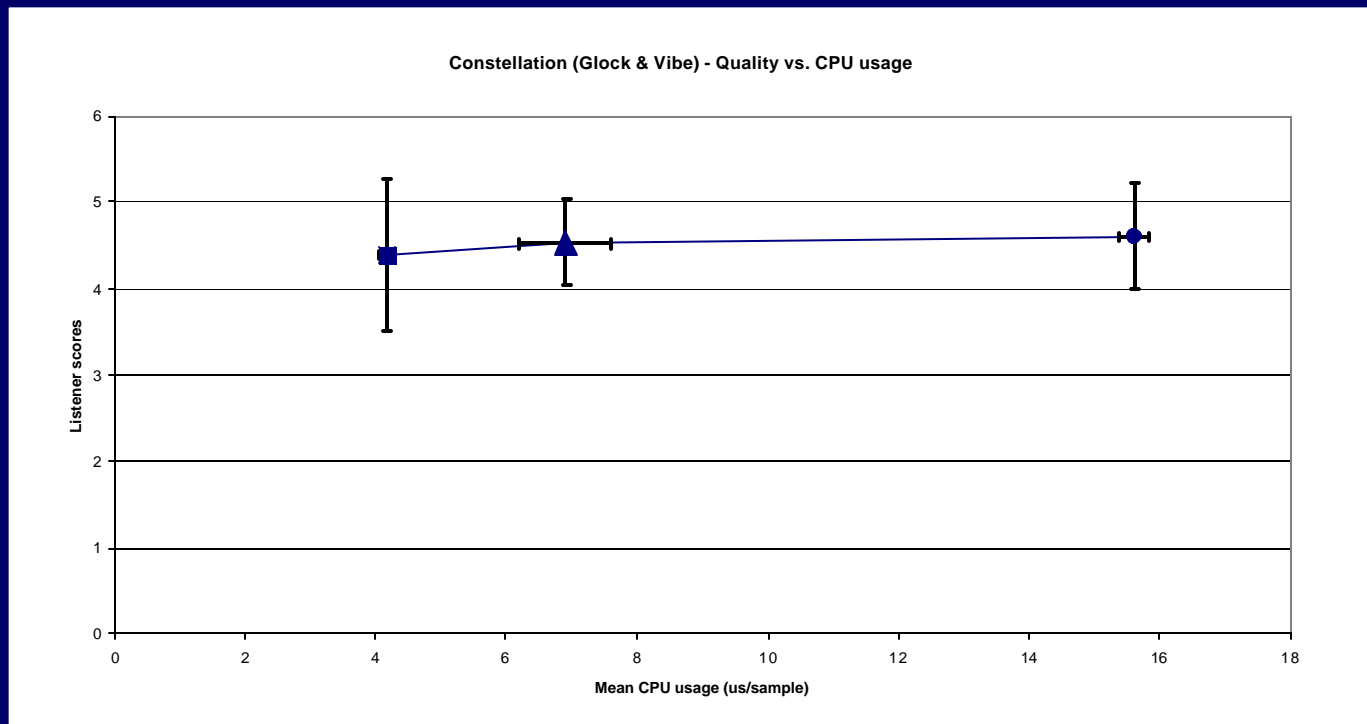
Reduction



Reduction



Listener Score



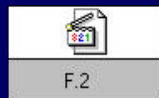
Mean CPU Time ($\mu\text{s}/\text{sample}$)

Results: Tibetan Singing

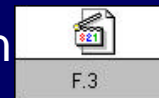
Original



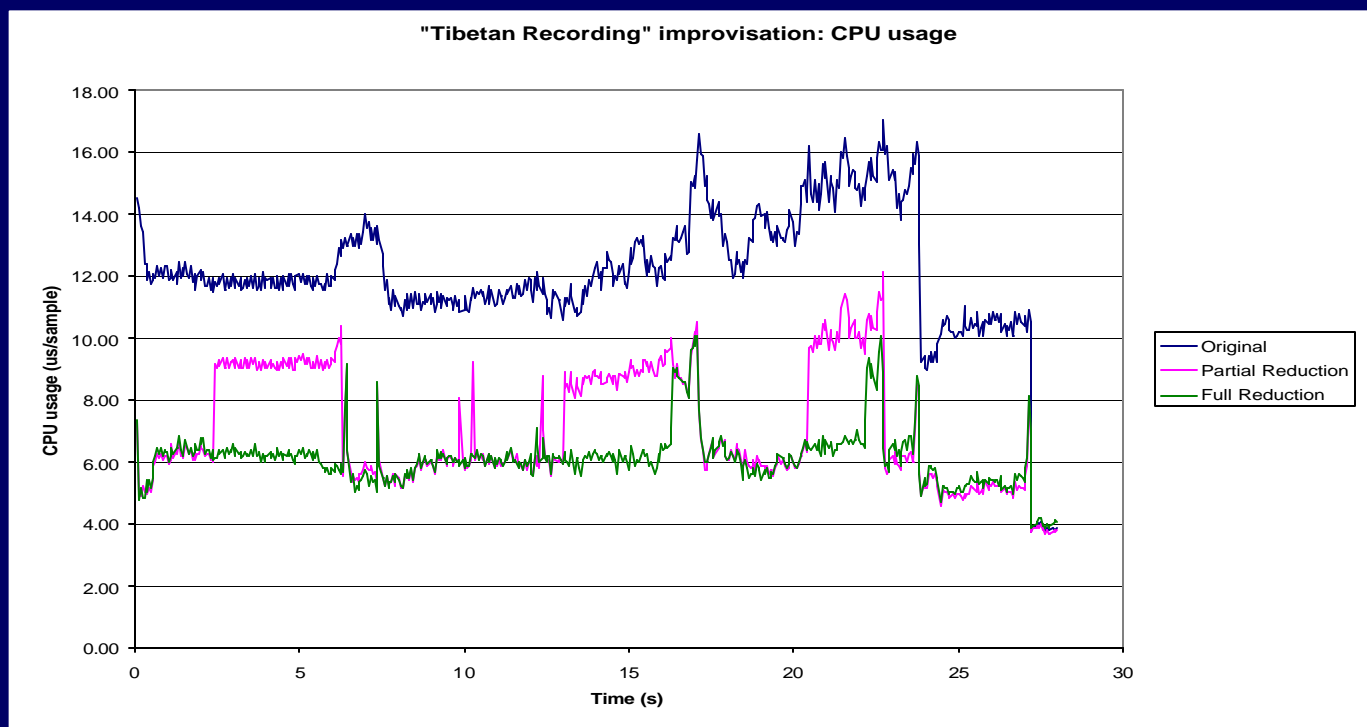
Reduction



Reduction



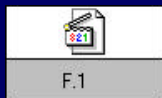
Mean CPU Time ($\mu\text{s}/\text{sample}$)



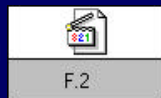
Time (s)

Results: Tibetan Singing

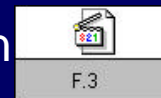
Original



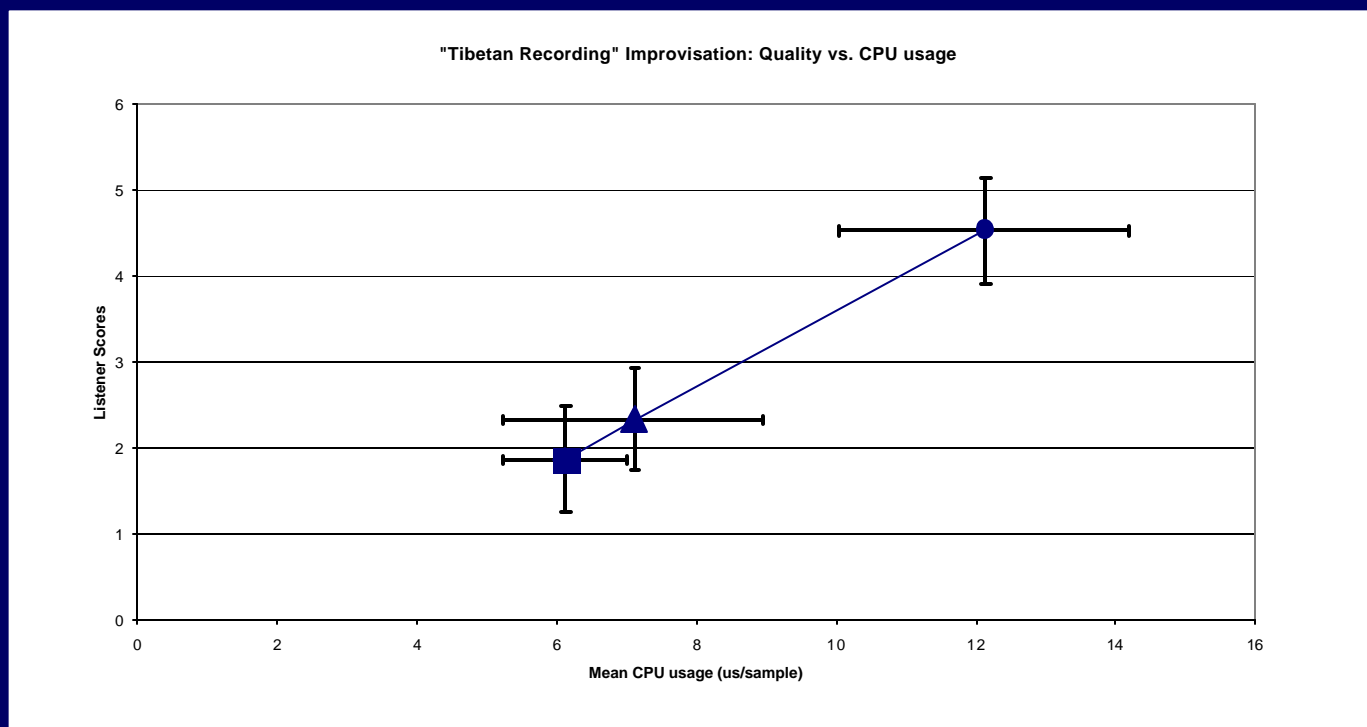
Reduction



Reduction



Listener Score



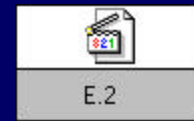
Mean CPU Time ($\mu\text{s}/\text{sample}$)

Results: Bach Fugue (bwv 867)

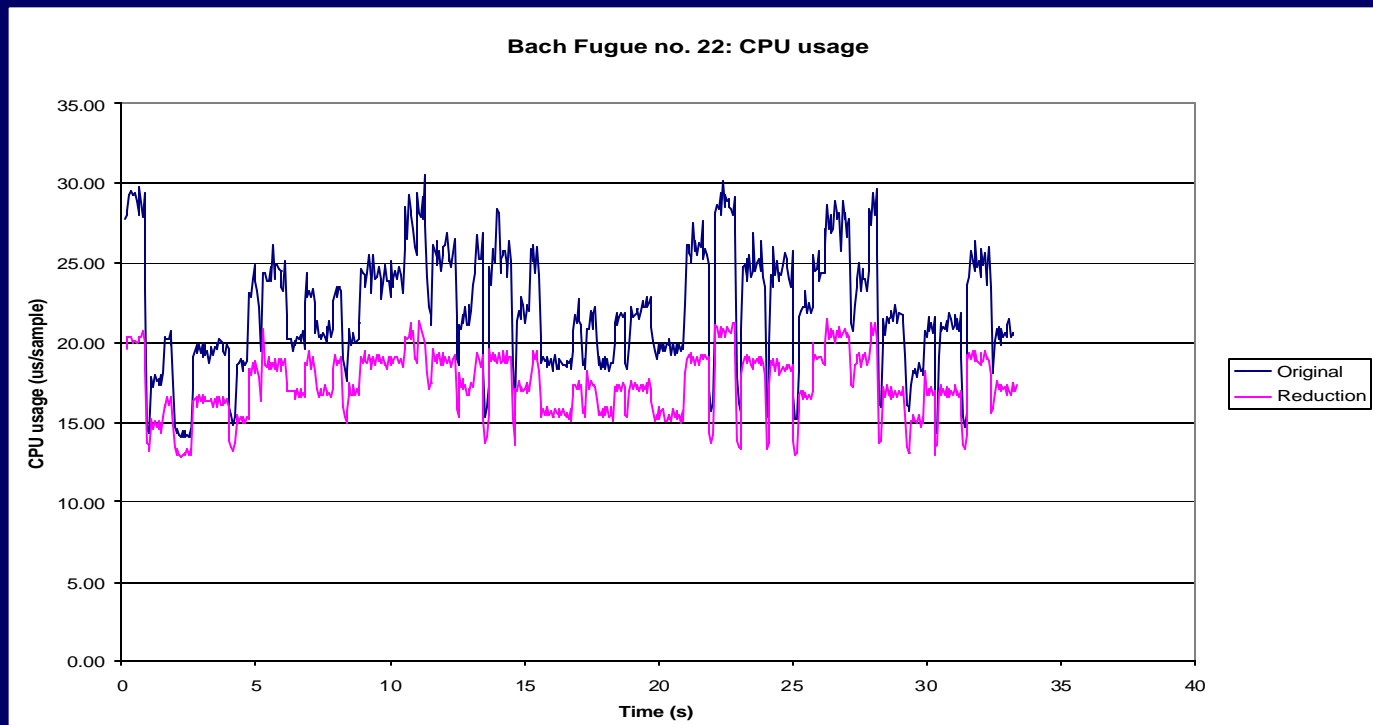
Original



Reduction



Mean CPU Time ($\mu\text{s}/\text{sample}$)



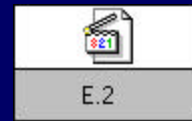
Time (s)

Results: Bach Fugue (bwv 867)

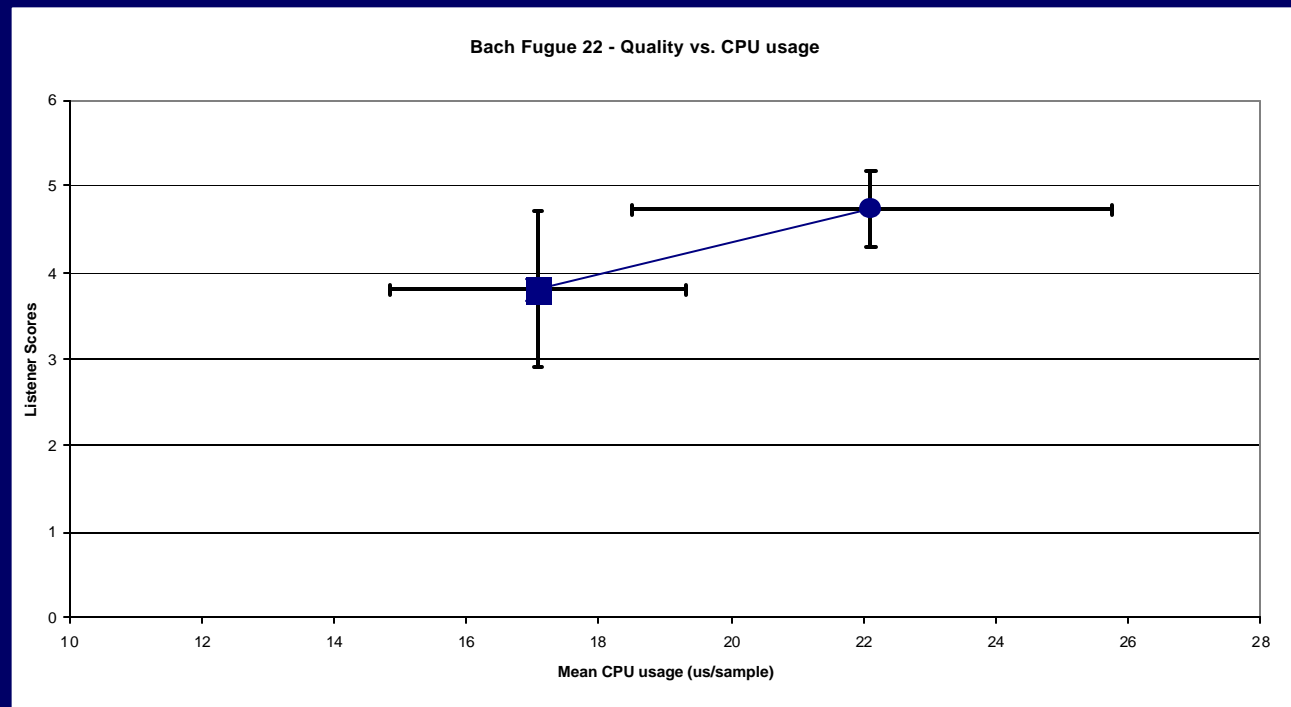
Original



Reduction



Listener Score



Mean CPU Time ($\mu\text{s}/\text{sample}$)

“Antony 2001”

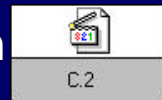
- David Wessel, 1977
 - 4A Digital oscillator bank [DiGiugno, 1976]
- Algorithmically generated sinusoidal models
 - Random-frequency partials within moving frequency bands
 - Performer changes the frequency bands in real time
 - 3 voices with 200 partials each and independent band controls
- Little or no computation was saved using sinusoidal-model reduction strategy
- Custom reduction strategy was developed
 - Number of partials proportional to bandwidth

Results: *Antony*

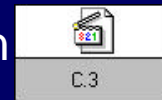
Original



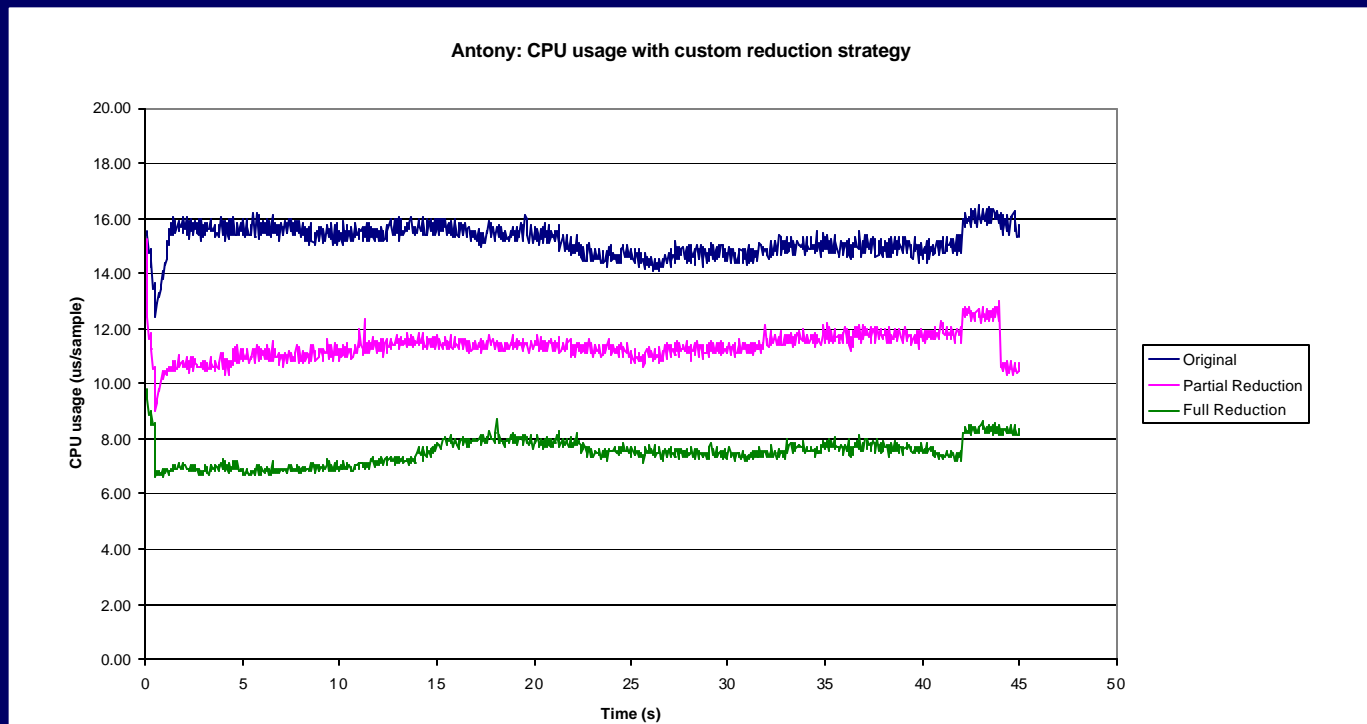
Reduction



Reduction



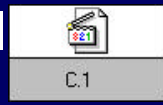
Mean CPU Time ($\mu\text{s}/\text{sample}$)



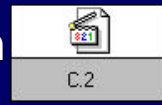
Time (s)

Results: *Antony*

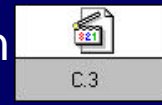
Original



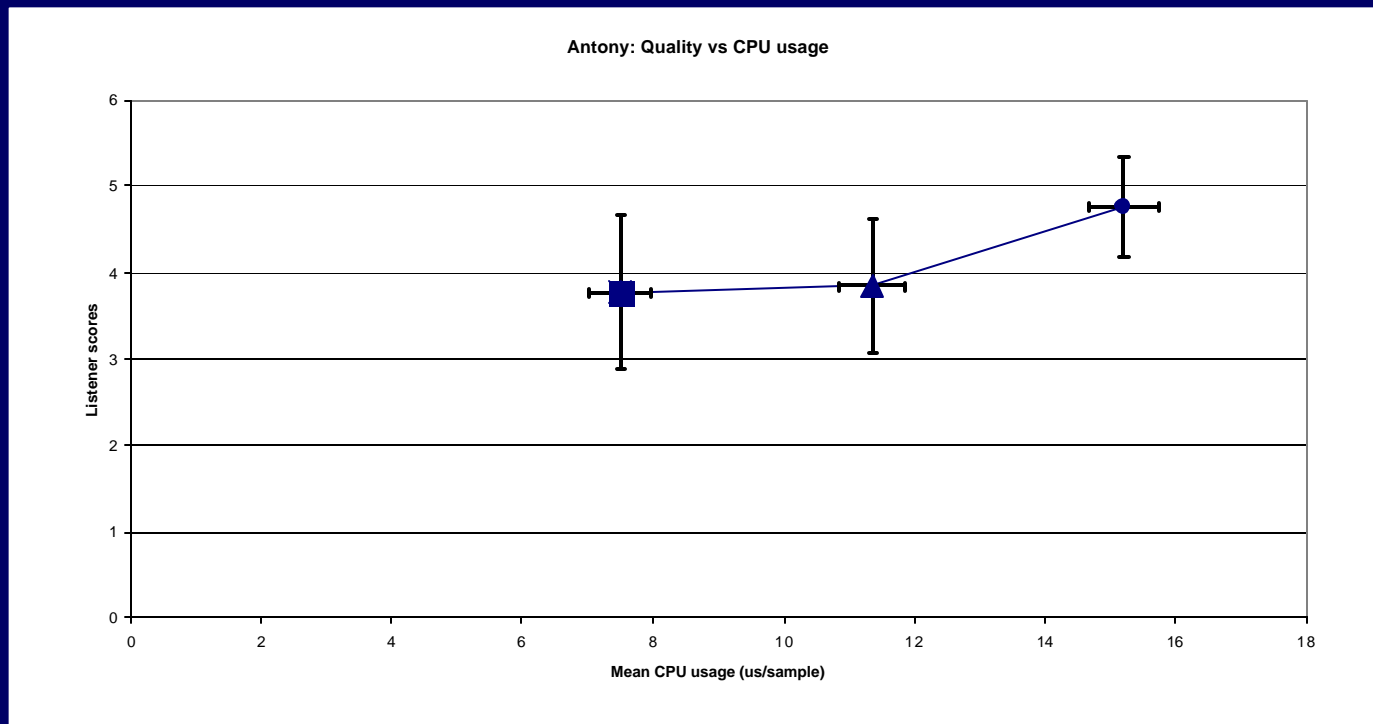
Reduction



Reduction



Listener Score



Mean CPU Time ($\mu\text{s}/\text{sample}$)

Conclusions

- QoS failures can be averted dynamically and gracefully by targeted reductions in the computation used by synthesis algorithms

However...

- Care must be taken in choosing the right reduction strategy for a particular model.

Conclusions

- Best results when additional knowledge about models is available.
 - Algorithmically generated models
 - Resonance models

Future Research Directions

- Develop additional reduction strategies
 - E.g., strategy for vocal models
- Automatic selection of best reduction strategy
 - Machine learning (neural nets, graphical models)
- Other applications
 - Granular synthesis
 - Pitch detection
 - Video processing

Acknowledgements

- Dissertation Committee
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 - Ronald Bruce Smith
 - Timothy Madden
 - Tsering Wangmo
 - Leah Fritz

Finis

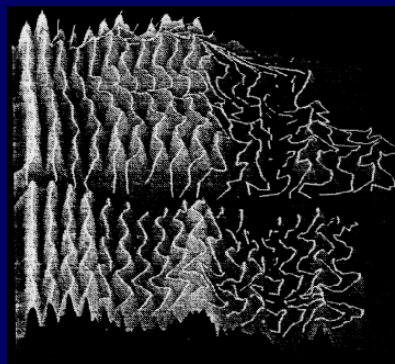
Models from Analysis

- Convert samples for frequency spectra
- Select peaks in spectra

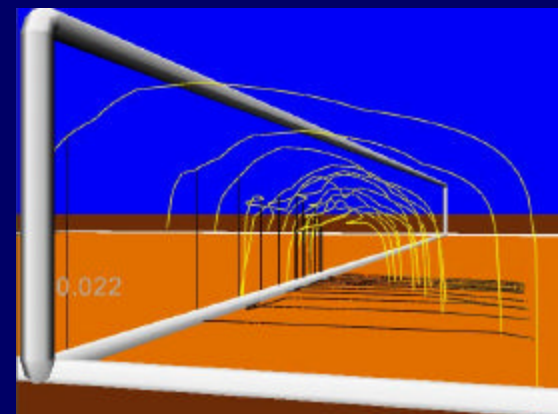
Sampled Waveform



Frequency Spectrum

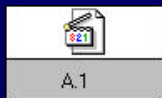


Sinusoidal Model

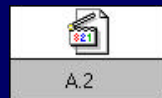


Results: *Constellation* (Marimba)

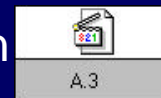
Original



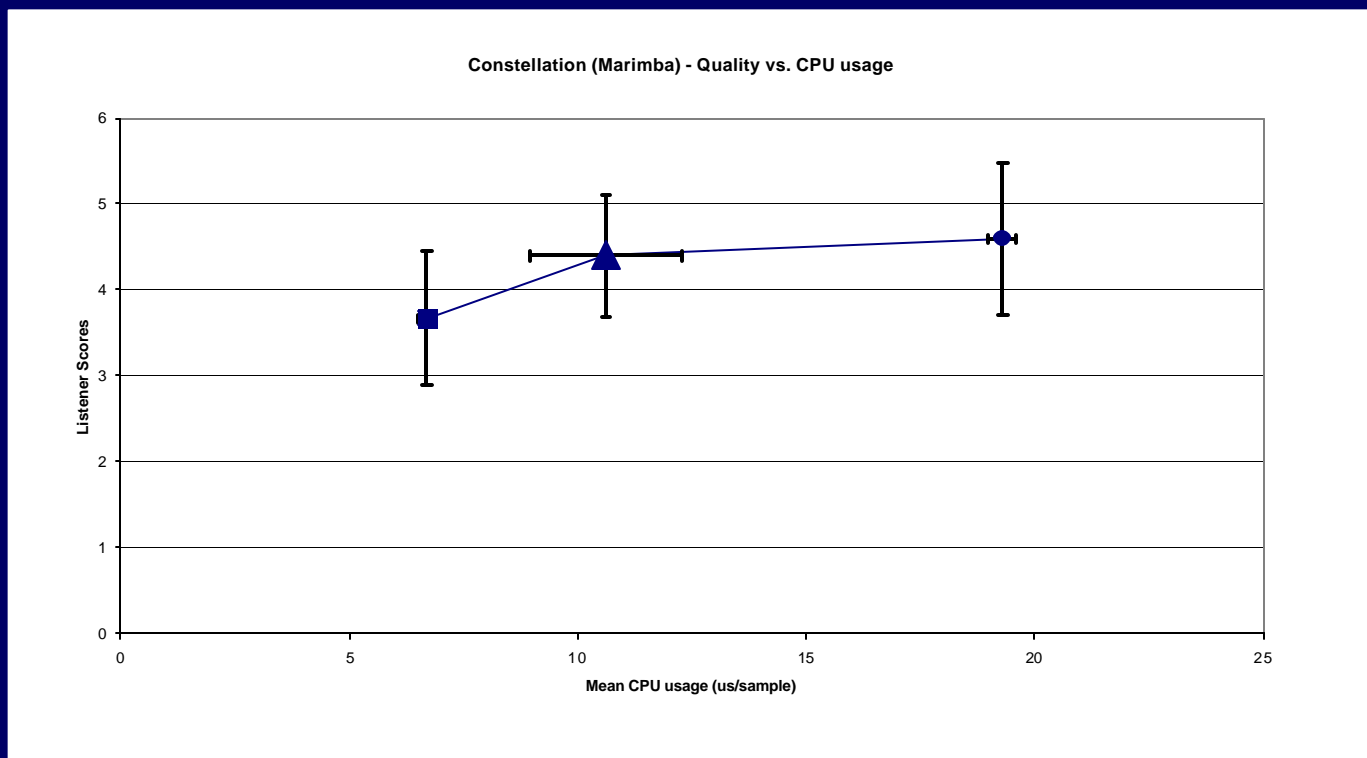
Reduction



Reduction



Listener Score



Mean CPU Time ($\mu\text{s}/\text{sample}$)

Sinusoidal model of James Brown and "The Original J.B.'s" (1970)

Original 

240 

120 

60 

30 

15 

Listener Score

